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A New Image Watermarking Algorithm by Using Contourlet Transform Accompanied by PSO Algorithm

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Abstract

One of the ways to enhance the security and concealment of data used today is image watermarking. In image watermarking operation, we try to hide image inside another image without letting others know about the hidden image. In this paper, Contourlet Transform and SVD Transform are used to embedded watermark in the host image. The PSO Optimization Algorithm is also used in the watermark extraction step to find the best scale factor. The results of the proposed algorithm in this article show an improvement over the comparative methods.

Keywords: Watermarking, Contourlet Transform, PSO Algorithm

1. Introduction

Advances in technology and the popularization of digital devices such as computers, digital cameras, printers, scanners and a variety of software have led to the widespread use of digital data in data storage. The simplicity of editing and replication of information without losing its quality and transmitting it widely across the networks have increased the popularity of digital data. Creating copies without recognizing the original data, editing data with various available software and accessing

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data through networks such as the Internet provide ways of exploiting and forging data for profiteers. Watermarking was proposed to prevent these abuses or forgery of information. Watermarking by embedding data related to its use in the main data, provides purposes such as copyright protection, data authentication, copy control, data tracking, etc. various methods have been suggested to meet these goals. Methods of watermarking in frequency domain are one of the best image watermarking methods that are used [1, 2]. For example, it can be included the watermarking methods by using Discrete Cosine Transform (DCT) [[3] - [5]], and Discrete Wavelet Transform (DWT) [[6] -[9]].

2. Contourlet Transform

In image processing, how to present an image in a way that its important and desireable features such as the surrounding border can be extracted is very important. Contourlet Transform is one of the relatively new transforms that has been developed to enhance the presentation of images with wavelet transform [10]. Unlike discrete wavelet transform which uses only three vertical, horizontal and diagonal filters to extract the components of the relevant images, in the Contourlet Transform, it is possible to apply a bank of filters with multiple angles and at different resolutions [11]. Figure 1 shows the frequency-domain analysis of the image by Contourlet Transform:



Figure 1: Display of Contourlet Transform in frequency domain.

3. SVD Transform

Singular value decomposition is a method that decomposes one matrix into three other matrixes [12]. For example, matrix A can be written by using Equation (3.1):

$$A = USV^T \tag{3.1}$$

A is an $m \times n$ matrix, U is an $m \times n$ orthogonal matrix, S is a $m \times n$ diagonal matrix, V is a $m \times n$ orthogonal matrix.

Using SVD Transform in digital image processing has some advantages, some of which are listed below [13]:

• The maximum energy of image is obtained by the largest coefficients of individual image values.

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- Image transparency remains almost constant even after embedding the watermark in individual image

4. Particle Swarm Optimization (PSO)

Particle Swarm Optimization algorithm is one of the most important intelligent optimization algorithms which is located in the field of swarm intelligence that was designed by Dr. Eberhart and Dr. Ebrahart Kennedy in 1995 [14]. In the PSO algorithm, the members of the population of the answers are directly related to each other and solve the problem by exchanging information with each other and recalling good memories. In this paper, we use the PSO algorithm to find the best value of the scale factor in the watermark extraction step. The PSO Algorithm is initialized with a group of random particles and then searches for optima by updating generations. In every iteration, each particle is updated by following two "best" values. The first one is the best solution the particle has achieved so far. This value is called pBest. Another "best" value that is tracked by the particle swarm optimizer is the best value obtained so far by any particle in the population. This best value is a global best and called gBest. When a particle takes a part of the population as its topological neighbors, the best value is a best local and is called lbest. After finding the two best values, the particle updates its velocity and positions with following equation (4.1) and (4.2):

$$[] = v[] + c1 \times rand() \times (pbest[] - present[]) + c2 \times rand() \times (qbest[] - present[])$$

$$(4.1)$$

$$present[] = persent[] + v[] \tag{4.2}$$

v[] is the particle velocity, persent[] is the current particle (solution). pest[] and gbest[] are defined as stated before. rand() is a random number between (0, 1). c1, c2 are learning factors. usually c1 = c2 = 2.

The pseudo-code of the PSO Algorithm is as follows:

for each particle do
 Initialize particle
end for
Do
for each particle do
 Calculate fitness value
 If the fitness value is beter than the best fitness value
 (pBest) in history set current value as the new pBest.
end for

choose the particle with the best fitness value of all particles as the gBest for each particle do

Calculate particle velocity according equation (a)

Update particle position according equation (b)

end for

5. Proposed Algorithm

In order to embedded and extract the watermark, we act as shown in Fig.2 and 3, respectively.



Figure 2: Embedded watermark algorithm.



Figure 3: Extended watermark algorithm.

6. Results

In order to implementation of the experiments, we used two host images of the Airplane and Lena as well as a Peugeot watermark image is shown in Figures 4 and 5, respectively. The size of the host image is 128×128 pixels and the size of the watermarked image is 32×32 pixels.



Figure 4: Host image.



Figure 5: Watermarked image.

We also used the PSNR criterion to evaluate the test results. This criterion calculates the similarity between two input images and the final image in the watermarking operation. We calculate

the PSNR value by using Equations (6.1) and (6.2) [15]:

$$MSE(I, I_w) = \frac{1}{MN} \sum_{i=0}^{N-1} \sum_{j=0}^{M-1} (I(i, j) - I_w(i, j))^2$$
(6.1)

$$PSNR(I, I_w) = 10 \times \log 10 \frac{MAX_I^2}{MSE}$$
(6.2)

 $M,\,N$ are the dimensions of image. $I,\,I_w$ are the input image and the final image. Also, MAX is a variable equal to 255 in 8-bit images.

The proposed algorithm in this paper is compared with the similar algorithm by Discrete Wevelet Transform (DWT) presented in the article [16]. The results of experiments that was performed on watermarked images can be seen in Table1.

	Evaluate	DWT_SVD	Proposed		DWT_SVD Proposed		d
	Parame-	[16]	Method		[16]	Method	
	ter						
Type of		Airplane im-	Airplane	alpha	Lena image	Lena im-	alpha
Attack		age	image			age	
No At-	PSNR	21.9887	27.68	0.049541	22.1424	27.68	0.049541
tack							
Average	PSNR	5.0495	24.4189	0.04986	6.1167	25.9561	0.049684
Filter 3*3							
Average	PSNR	-0.188	20.7285	0.050598	0.7797	23.4325	0.049987
Filter 5*5							
Gaussian	PSNR	14.7156	27.2839	0.04958	15.9669	27.4938	0.049559
Low-Pass							
Filter 3*3							
Gaussian	PSNR	14.6593	27.2797	0.049581	15.9094	27.5076	0.049559
Low-Pass							
Filter $5*5$							
Median	PSNR	11.3875	27.3412	0.049548	12.1789	27.5638	0.049542
Filter 3*3							
Median	PSNR	5.5602	26.7261	0.049575	5.8633	27.3119	0.049548
Filter $5*5$							
Crop	PSNR	-0.2934	21.034	0.050357	4.28	17.1371	0.052089
[150, 150]							
Rotation 5	PSNR	2.6289	15.9094	0.053323	8.1568	24.2562	0.049873
Rotation	PSNR	-4.9592	14.0285	0.055611	-0.9957	18.8979	0.051182
30							
Rotation	PSNR	-4.1504	16.3118	0.052801	0.1081	16.3986	0.052707
45							
Rotation	PSNR	-5.4453	13.7112	0.056165	-1.1157	16.9544	0.052331
70							
Rotation	PSNR	-5.1083	11.6419	0.061389	-0.0082	20.8645	0.05051
110							

Table 1: Comparing the transparency of the proposed method with the traditional method.

Transition	DSND	0 3362	8 1631	0.087160	3 1051	10 4037	0.066634
(5, 10)		-0.5502	0.1031	0.087109	5.1051	10.4037	0.000034
(5,10)	DOND	0.50.41		0.11504	0.0010		0.001040
Transition	PSNR	-2.7841	6.948	0.11534	0.2918	8.5871	0.081249
(10,10)							
Transition	PSNR	-4.8295	6.3342	0.14425	-1.6355	7.6904	0.095245
(10,15)							
Horizontal	PSNR	21.9887	27.68	0.049541	22.1424	27.68	0.049541
Flip							
Vertical	PSNR	21.9887	27.68	0.049541	22.1424	27.6795	0.049541
Flip							
Blurring	PSNR	22.6795	27.684	0.049541	22.7695	27.6821	0.049541
0.3							
Blurring	PSNB	14 6593	27 2797	0.049581	15 9094	27 5086	0.049559
0.5		11.0000	21.2101	0.010001	10.0001	21.0000	0.010000
Blurring 1	PSNR	3 7335	24.0507	0.049909	1 795	25 7613	0.049702
Motion	DCND	2 1544	15 044	0.043303	2.0288	18 8801	0.049702
$\frac{1}{2} \frac{1}{2} \frac{1}$	FSNN	-3.1044	10.044	0.03427	-3.0200	10.0001	0.05120
$\operatorname{Blur}(15,20)$	DOND	0.0110	14.9549	0.055005	0.2000	10 4005	0.051470
Motion	PSNR	-2.8112	14.3542	0.055205	-0.3996	18.4205	0.051479
$\operatorname{Blur}(15,45)$	20112						
Sharpening	PSNR	21.548	27.6795	0.049541	21.8401	27.679	0.049541
0.3							
Sharpening	PSNR	12.9629	27.6692	0.049541	13.9077	27.6214	0.049541
0.5							
Sharpening	PSNR	5.302	27.6523	0.049541	6.2613	27.2741	0.049552
1							
JPEG	PSNR	7.6878	24.2985	0.049845	6.3203	23.9306	0.049879
Com-							
pression							
O=5							
IPEC	PSNR	9 3801	24 1435	0.0/0858	10 7079	26 7397	0.0/9581
Com		9.0001	24.1400	0.049090	10.1013	20.1551	0.043001
Com-							
pression O 10							
Q=10	DOND	10.0110	07 1019	0.040500	10 4074	07.0000	0.040571
JPEG	PSNR	12.0118	27.1813	0.049568	13.4874	27.3066	0.049571
Com-							
pression							
Q=20							
JPEG	PSNR	16.0991	27.6719	0.049544	18.2342	27.6824	0.049545
Com-							
pression							
Q=80							
JPEG	PSNR	17.9799	27.6912	0.049543	19.7938	27.6825	0.049543
Com-							
pression							
$\Omega = 90$							
~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~			1	1			

Gaussian	PSNR	19.4741	27.6587	0.04954	19.5994	27.6595	0.04954
Noise							
(0.0.001)							
Gaussian	PSNR	8.3775	27.4184	0.049564	8.0992	27.3905	0.049566
Noise							
(0.0.01)							
Gaussian	PSNR	-4.5191	12.2473	0.059572	-4.0368	16.748	0.052419
Noise							
(0.0.1)							
Gaussian	PSNR	-9.2512	7.522	0.099191	-7.9059	10.577	0.065284
Noise							
(0.0.3)							
Speckle	PSNR	20.3124	27.654	0.04954	21.335	27.6738	0.049541
Noise							
0.001							
Speckle	PSNR	11.5705	27.6786	0.049544	15.6217	27.5615	0.049552
Noise 0.01							
Speckle	PSNR	-1.6489	14.1436	0.055561	1.5968	17.9579	0.051682
Noise 0.1							
Speckle	PSNR	-8.331	7.9245	0.091123	-5.0202	11.4378	0.06189
Noise 0.3							
Pepper	PSNR	21.1735	27.6794	0.049543	21.8629	27.6773	0.049541
And Salt							
Noise 0.001							
Pepper	PSNR	15.4915	27.3409	0.049576	15.1459	27.4792	0.04955
And Salt							
Noise 0.01							
Pepper	PSNR	-0.3985	16.1951	0.053062	1.1564	20.5932	0.050552
And Salt							
Noise 0.1							
Pepper	PSNR	-7.5213	8.7046	0.080078	-5.9511	12.1738	0.059379
And Salt							
Noise 0.3							

As we can see from the results of the experiments, the proposed algorithm in this paper by using the PSO optimization algorithm and finding the best scale factor in the watermark extraction step has much better results than the comparable algorithm.

## 7. Conclusion

In this article, we present a new algorithm for watermarking operations that is better than the compared methods. Using a Contourlet Transform instead of a Wavelet Transform in Watermarking enhances the transparency of the watermark Image. SVD Transform also increases the resistance of the watermarked image against various image processing attacks. We also used the PSO Algorithm to

find the optimal scale factor. In the further study, we can use other frequency-domain transformations along with other optimization algorithms to improve the algorithm.

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